

Predicting the electromagnetic signatures of pre-merger binary black holes

Raphaël Mignon-Risse¹

CNES Fellow

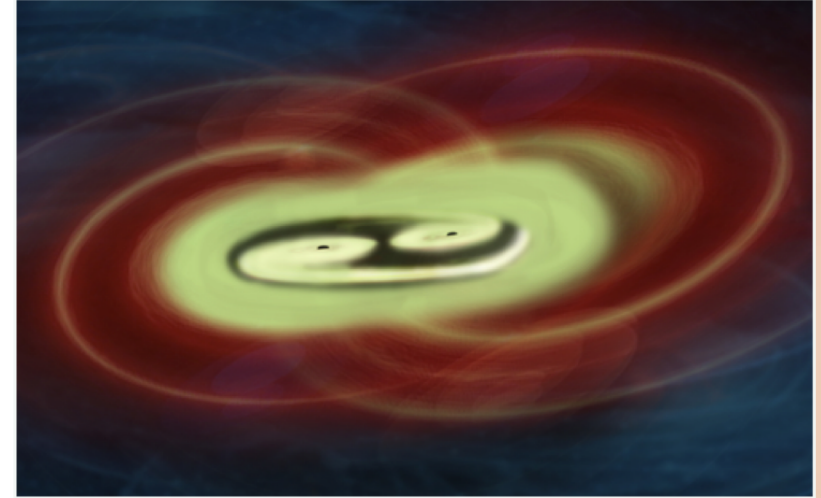
Raphael.mignon-risse@apc.in2p3.fr

¹AstroParticule and Cosmologie, Université de Paris

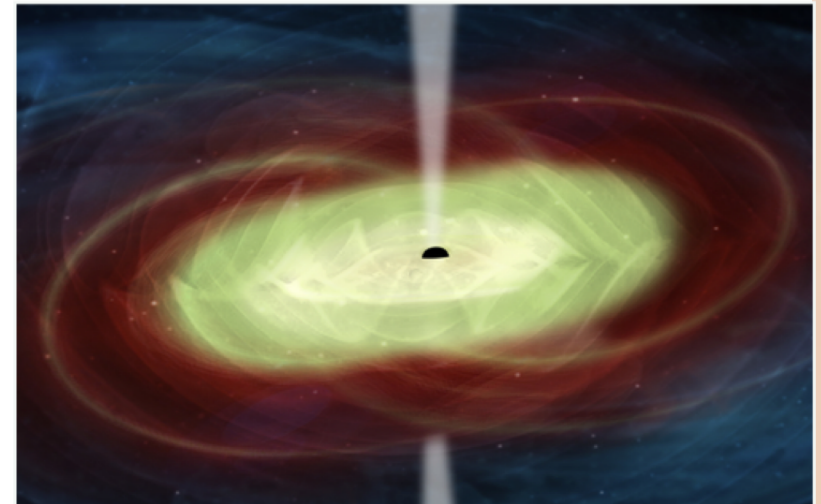
Electromagnetic counterpart to BBH fusion



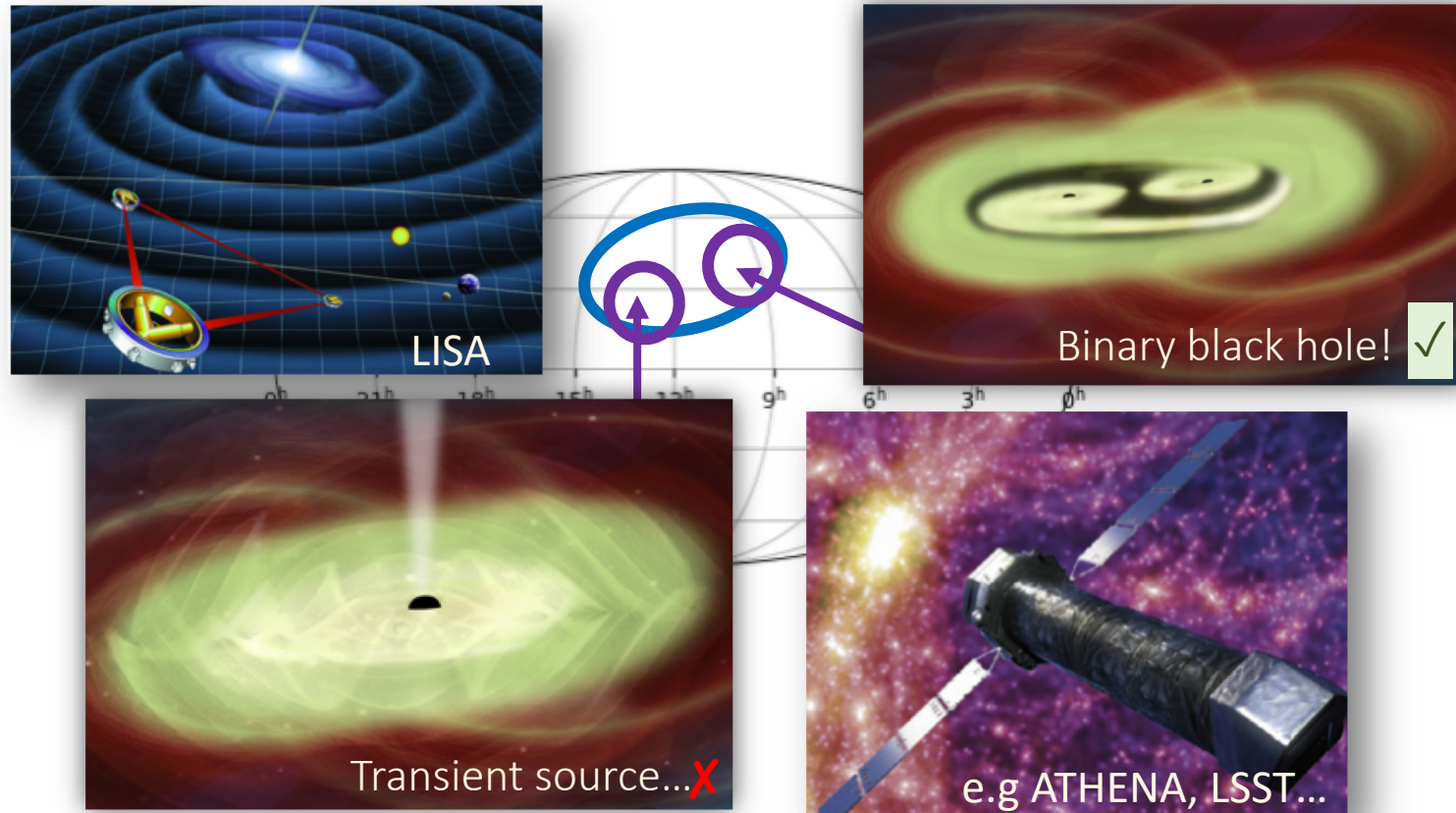
Need a gas-rich environment:
e.g. galaxy merger,
tidal disruption event or « fallback disk »
following supernova explosion



- Binary black holes and their coalescence
 - Galaxy growth vs black hole growth
 - Speed of gravity
 - Hubble tension
 - Formation of active galactic nuclei?



Electromagnetic follow-up after a LISA detection

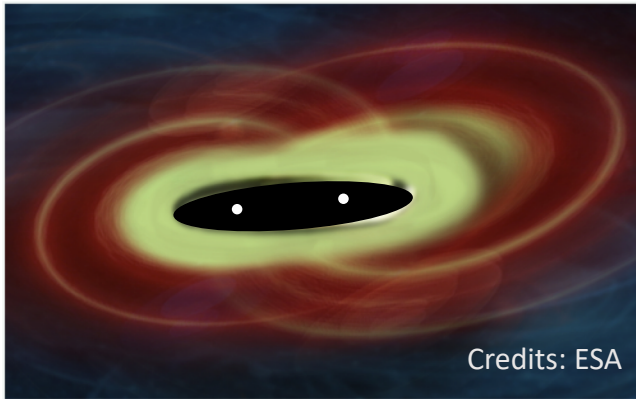


- LISA: space-based gravitational wave detector
 - 0.1mHz-1Hz band
 - SMBBH up to merger
 - Stellar-mass BH in early pre-merger stage only

How to distinguish binary black holes from other (transient) sources ?

Modelling a BBH and its circumbinary disk

- **GR-AMRVAC** code (Keppens+12, GR: Casse+17)
- How does the fluid know about the binary black hole?
 - Newtonian gravity? (e.g. D'Orazio+13)
 - Solving the Einstein's equations? (e.g. Einstein Toolkit, Löffler+12)

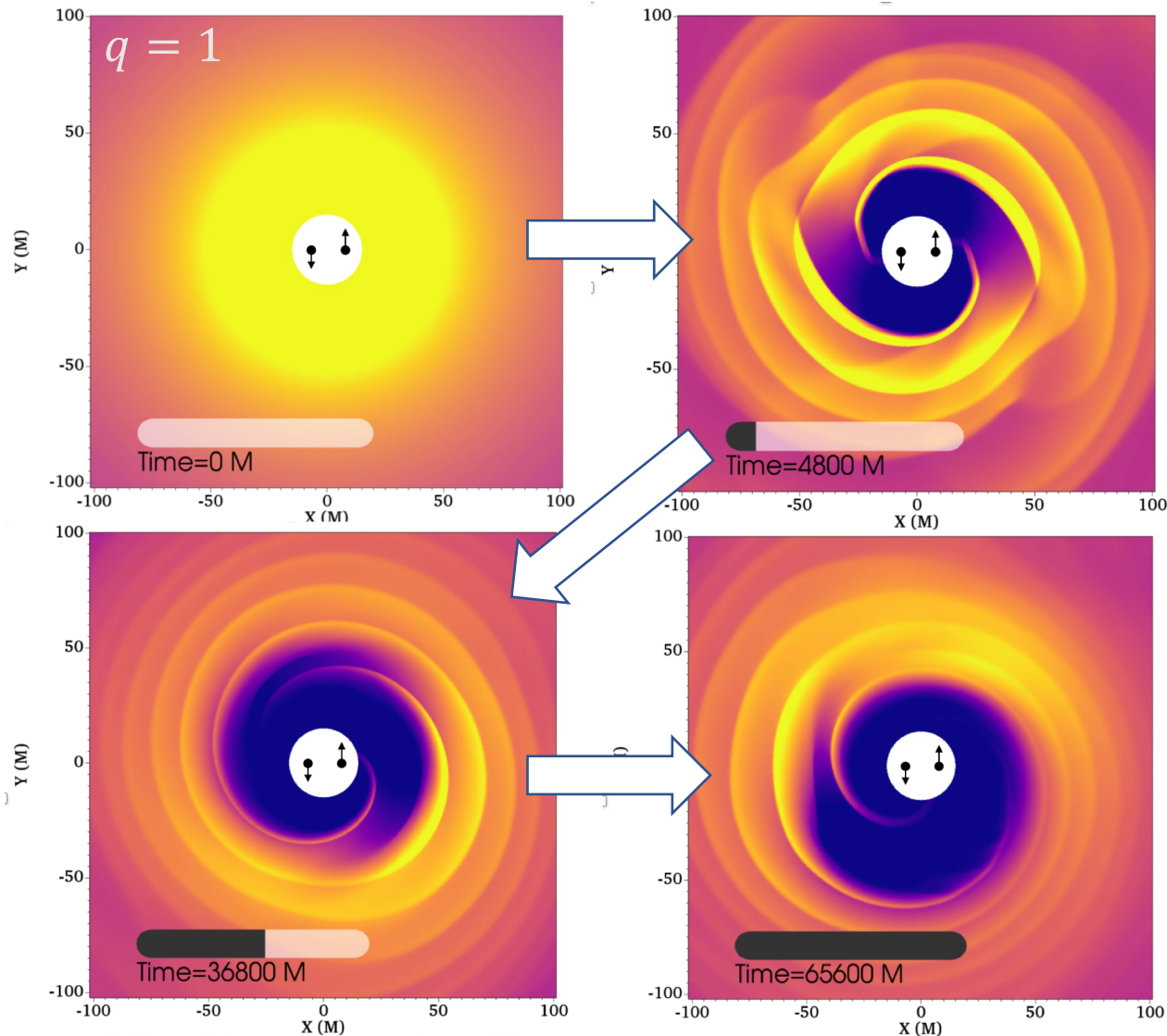


- Implement an approximate, analytical BBH spacetime (Mignon-Risse et al. 2022, MNRAS)
- Still, a computationally-heavy, and conceptually more complex, construction (see e.g. Ireland+16):

$$g_{00} + 1 = \frac{2m_1}{r} + \frac{m_1}{r} \left\{ v_1^2 - \frac{m_2}{b} + 2(\vec{v}_1 \cdot \hat{n})^2 - \frac{2m}{r} + 6 \frac{(\vec{x}_1 \cdot \hat{n})}{r} (\vec{v}_1 \cdot \hat{n}) - \frac{x_1^2}{r^2} + \frac{(\vec{x}_1 \cdot \hat{n})^2}{r^2} (3 - 2r^2 \omega^2) \right\} \\ + (1 \leftrightarrow 2) + O(v^5),$$

- Construction valid until the BBH motion becomes relativistic

Results: Accretion structures



Surface density

For $q \geq 0.1$

1. A cavity at $\sim 2x$ orbital separation r_{12} (Artymowicz+94)
2. Streams (Artymowicz+96) & spiral arms
and further in time...
3. An overdensity, or « lump » (e.g. Shi+12, Noble+12)

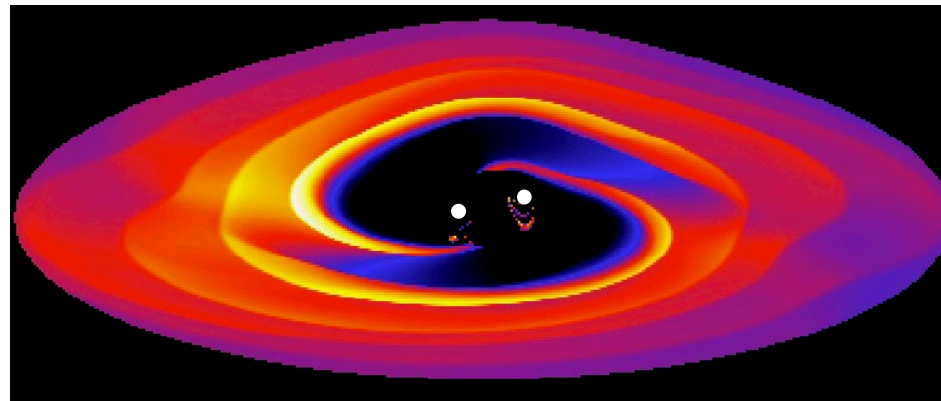
Pre-merger electromagnetic features ?

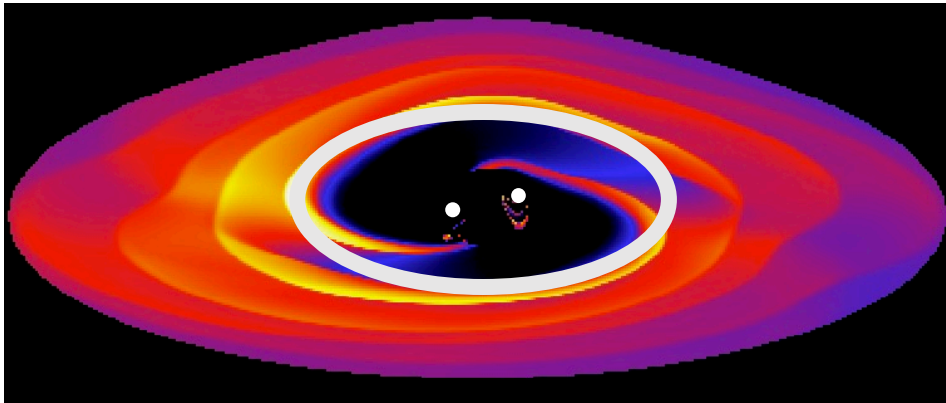
Detecting binary black holes thanks to these accretion structures ?

- Synthetic observations through GR ray-tracing

Synthetic observations of pre-merger BBHs

- **GYOTO** code (Vincent+11) incorporating the **BBH approximate metric** (Ireland+16)
 - This pipeline forms eNOVAs: **extended Numerical Observatory for Violent Accreting systems**
The first European pipeline of its kind, second worldwide (see D'Ascoli+18)
 - Thermal emission, thin disk approximation (Shakura & Sunyaev, 1973)
 - Mass scaling using Lin+13 ($M = 10^5 M_{\odot}$; $T_{\text{in}} = 0.1 \text{ keV}$) as reference
- Obtain the multi-wavelength emission map

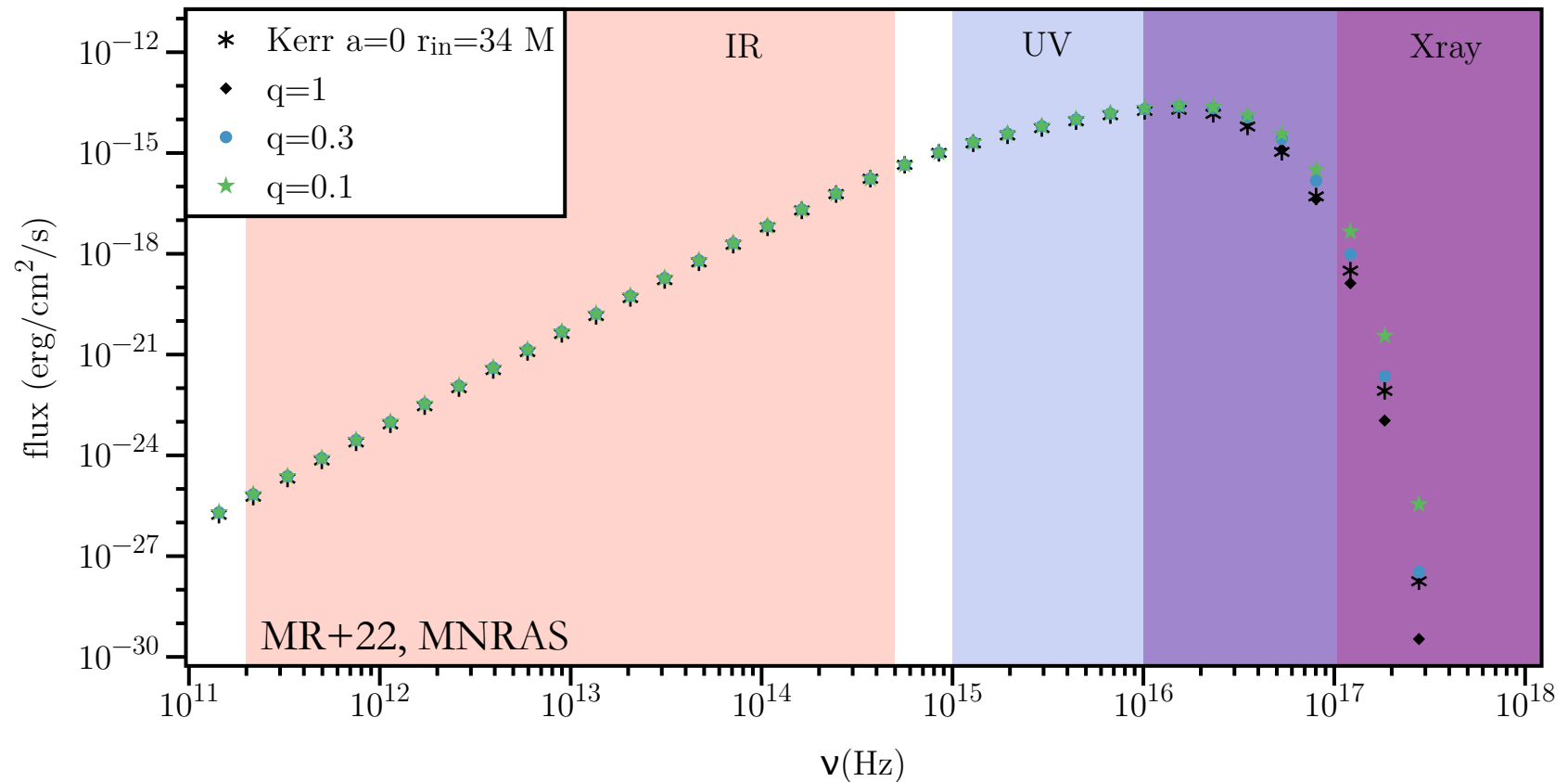




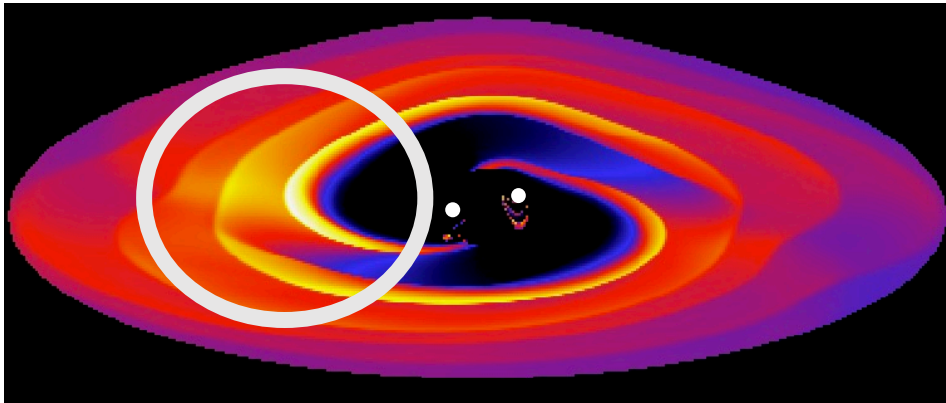
Impact of the cavity

Is a BBH hidden behind a single BH with a far away disk?

- Disk inner edge set at the innermost stable circular orbit (ISCO) in single BHs
 - Highest-energy contribution to the spectrum at $6 r_g$
- Circumbinary disk edge settles around $\sim 2 r_{12}$ in BBHs, e.g. $\sim 30 r_g$ here



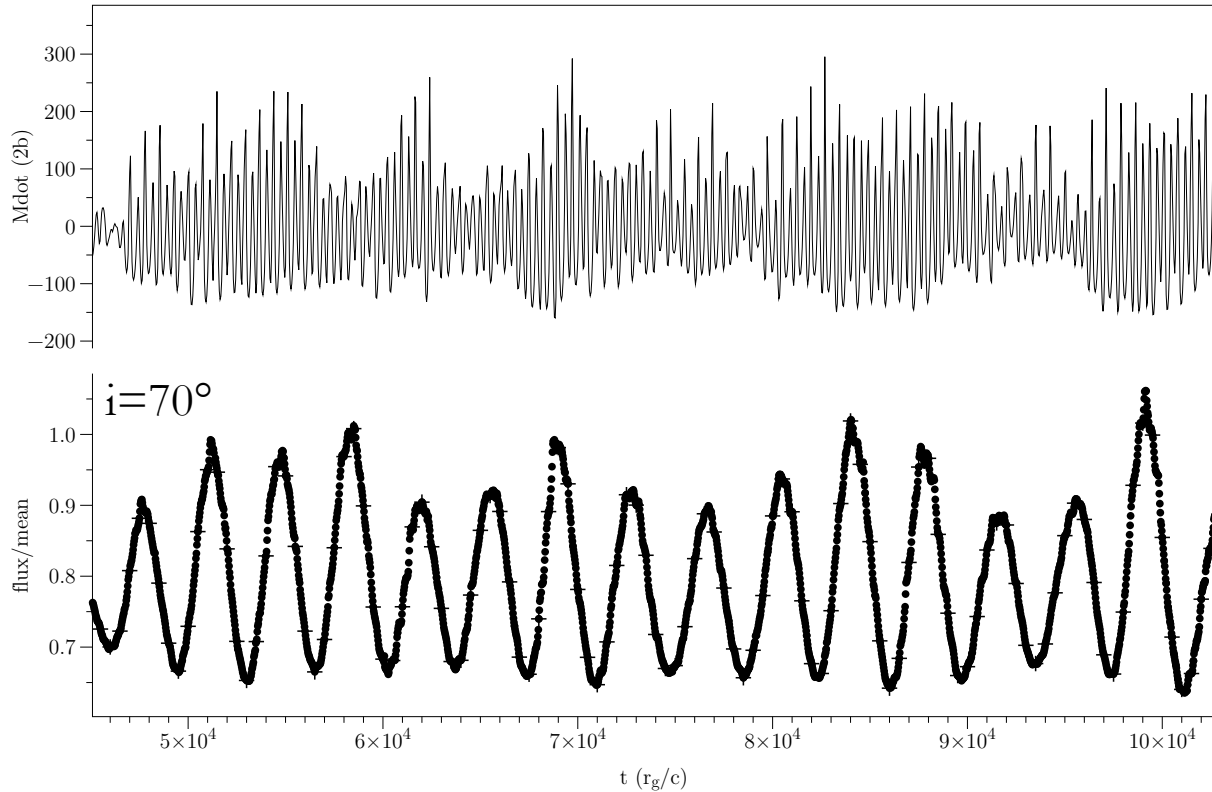
A BBH can be hidden behind a BH source whose disk inner edge is away from its ISCO
(B)BH mass measurement needed !!



Impact of the lump & spiral arms

Timing features

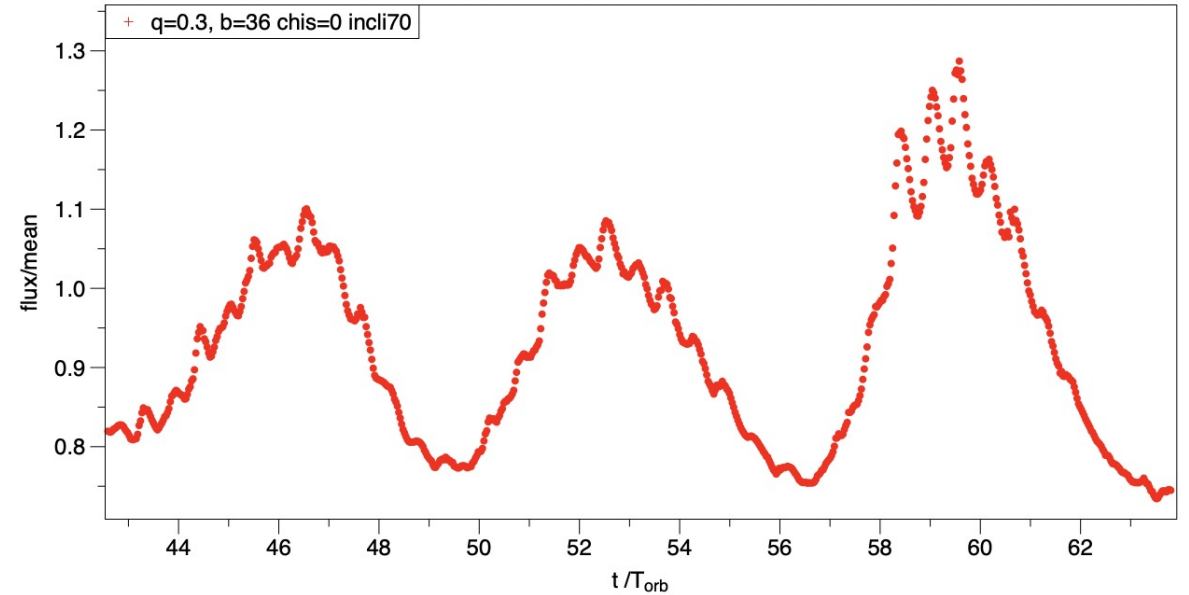
$$q = 0.1; r_{12} = 20r_g$$



- Accretion rate through the cavity modulated at the orbital period
- Flux is normalized by the mean value \Rightarrow mass-independent lightcurve
- The main modulation of the lightcurve is produced by the lump

$$q = 0.3; r_{12} = 36r_g$$

MR+2023, in prep.



- Additional modulation at half the orbital period

$$P_{\text{orb}} = 0.3 \frac{M}{10^6 M_\odot} \text{ ks}$$

$$P_{\text{lump}} \sim 1.5 \frac{M}{10^6 M_\odot} \text{ ks}$$

Conclusions: observational features of BBHs

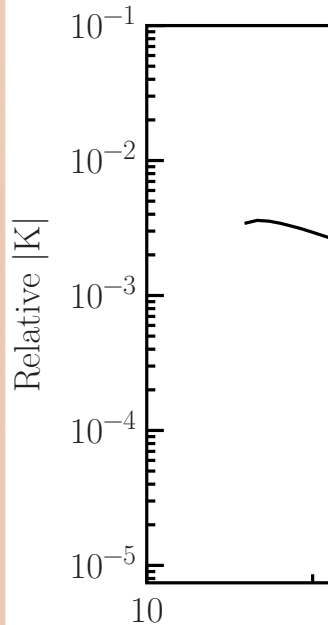
- Development of eNOVAs:
 - First European pipeline from fluid simulations to synthetic obs. in dynamical spacetimes (Mignon-Risse et al. 2022, MNRAS)
- Accretion structures typical of BBHs: streams, cavity, overdensity/«lump» (e.g. Noble+12, Shi+12)
(Lump origin model: Mignon-Risse et al. 2023, MNRAS)
- Periodic behaviour at i) the semi-orbital period and ii) at the «lump» period (e.g. D’Orazio+13)
 - Two-timescale modulation, dominated by the «lump» modulation (MR+23, in prep.)
- In any case, knowing the (B)BH mass is crucial
- What remains of these EM signatures when the BBH inspirals towards merger?
To be continued...

Metric validation

- Correct as displayed

$$\begin{aligned}
 & 605284 \left(\frac{\sqrt{\frac{1}{2}} y \cos\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} - \frac{\sqrt{\frac{1}{2}} x \sin\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} \right)^2 - \frac{2 \left(151321 x^2 + 151321 y^2 + 151321 z^2 - 120000000000 \right) \left(\frac{x \cos\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} + \frac{y \sin\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} \right)}{x^2 + y^2 + z^2} \\
 & + 151321 \cos\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)^2 + 151321 \sin\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)^2 \\
 & + \frac{933600000 \left(\frac{\sqrt{\frac{1}{2}} y \cos\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} - \frac{\sqrt{\frac{1}{2}} x \sin\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} \right) \left(\frac{x \cos\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} + \frac{y \sin\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} \right)}{\sqrt{x^2 + y^2 + z^2}} \\
 & - \frac{80000000000 \left(\cos\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)^2 + \sin\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)^2 \right) - \frac{128000000}{\sqrt{x^2 + y^2 + z^2}} - 320000}{16000000 \sqrt{x^2 + y^2 + z^2} + \frac{4}{\sqrt{x^2 + y^2 + z^2}} - 1} \\
 & = \\
 & 389 \sqrt{\frac{1}{2}} \left[2421136 \left(\frac{\sqrt{\frac{1}{2}} y \cos\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} - \frac{\sqrt{\frac{1}{2}} x \sin\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} \right)^2 - 453963 \left(\frac{x \cos\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} + \frac{y \sin\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} \right)^2 \right. \\
 & + \frac{6224000 \sqrt{\frac{1}{2}} y \cos\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} - \frac{6224000 \sqrt{\frac{1}{2}} x \sin\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} \\
 & + \frac{933600000 \left(\frac{\sqrt{\frac{1}{2}} y \cos\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} - \frac{\sqrt{\frac{1}{2}} x \sin\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} \right) \left(\frac{x \cos\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} + \frac{y \sin\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} \right)}{\sqrt{x^2 + y^2 + z^2}} \\
 & + \frac{240000000000 \left(\frac{x \cos\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} + \frac{y \sin\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} \right)^2}{x^2 + y^2 + z^2} + \frac{3200000000 \left(\frac{x \cos\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} + \frac{y \sin\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)}{\sqrt{x^2 + y^2 + z^2}} \right)}{\sqrt{x^2 + y^2 + z^2}} \\
 & \left. + \frac{80000000000 \left(\cos\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)^2 + \sin\left(\frac{389}{200000} \sqrt{\frac{1}{2}} (t - \sqrt{x^2 + y^2 + z^2})\right)^2 \right)}{\sqrt{x^2 + y^2 + z^2}} \right]
 \end{aligned}$$

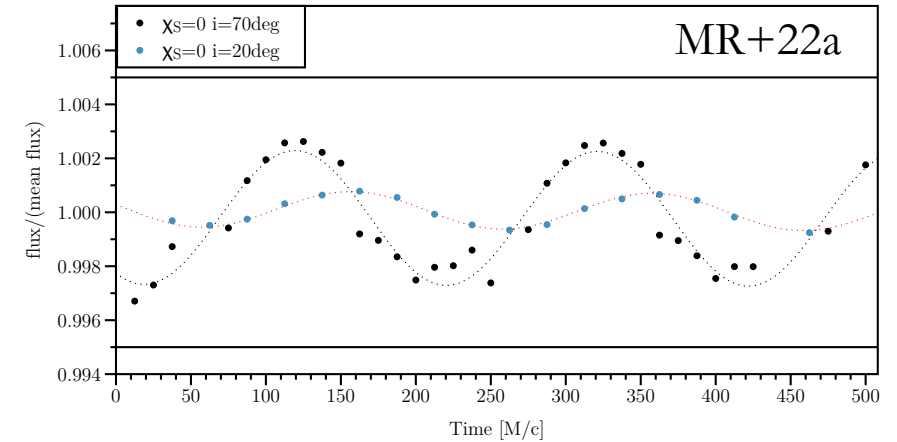
view



Why using a GR ray-tracing code ?

➤ Ray-tracing:

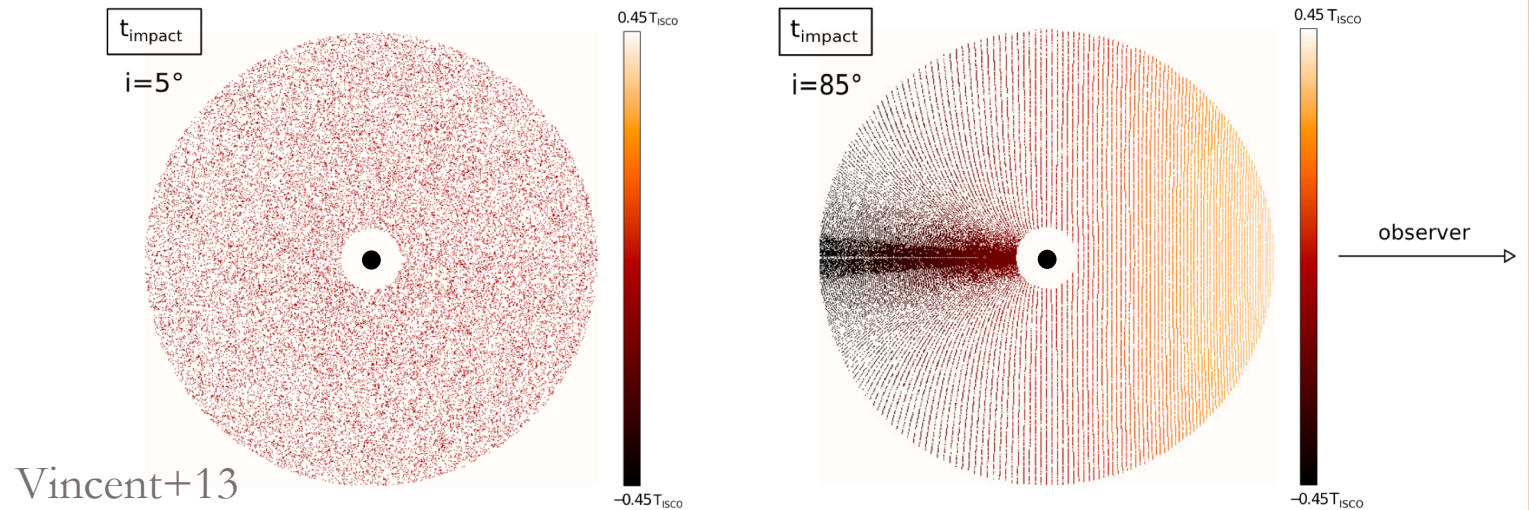
Influence of source inclination on timing features associated with non-axisymmetries in the disk



➤ GR effects:

Lensing (see e.g. Davelaar+22)
time dilation

...



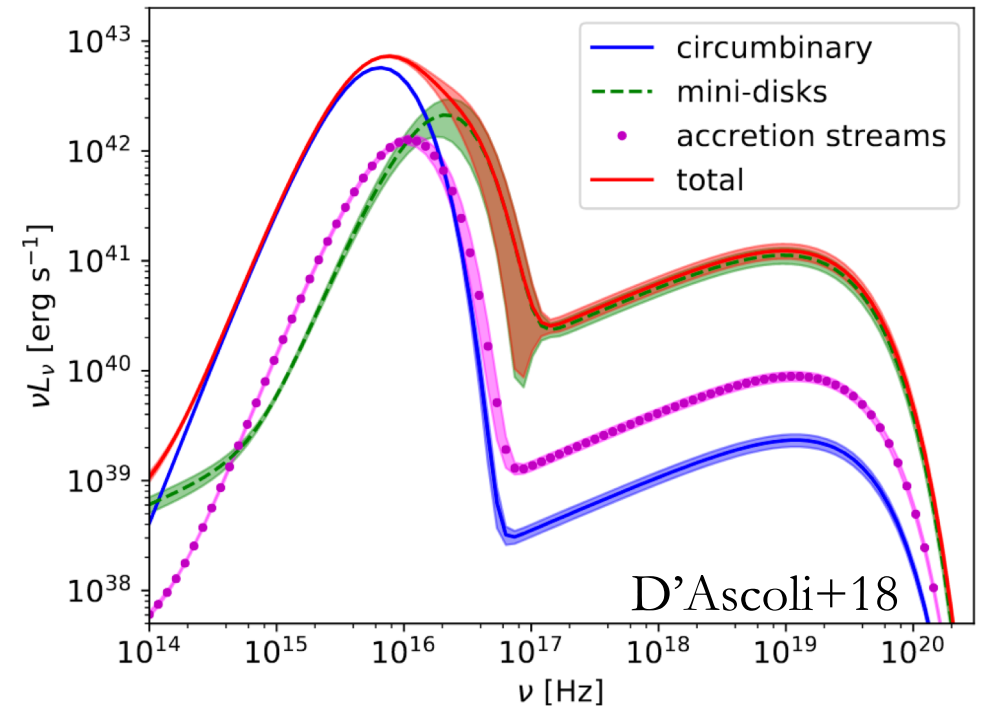
➤ Self-consistency:

Incorporates the same BBH metric as the fluid code

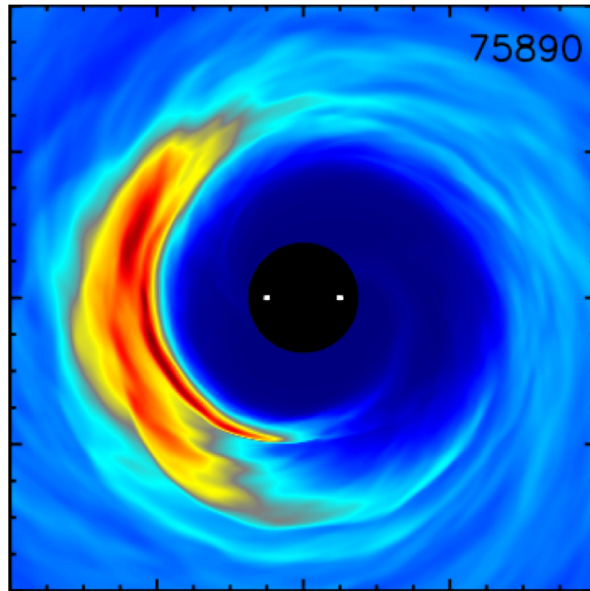
Excising the innermost region?

The flux from possible individual disks

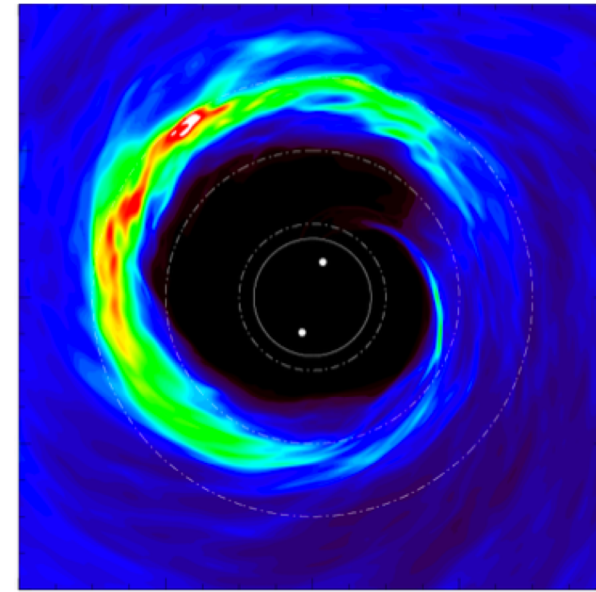
- may not dominate the integrated flux
 - depends on their surface density, temperature, the BBH orbital separation...
- peak in a higher-energy band
- varies on binary orbital timescales, much shorter than the « lump's » period



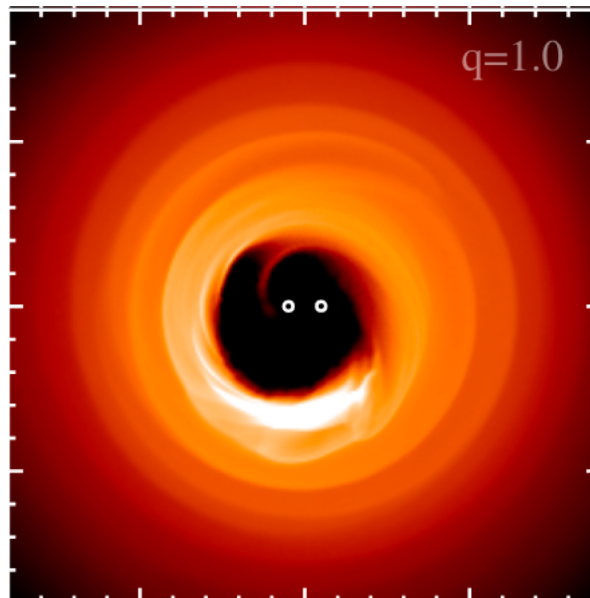
The « lump » presence in the literature



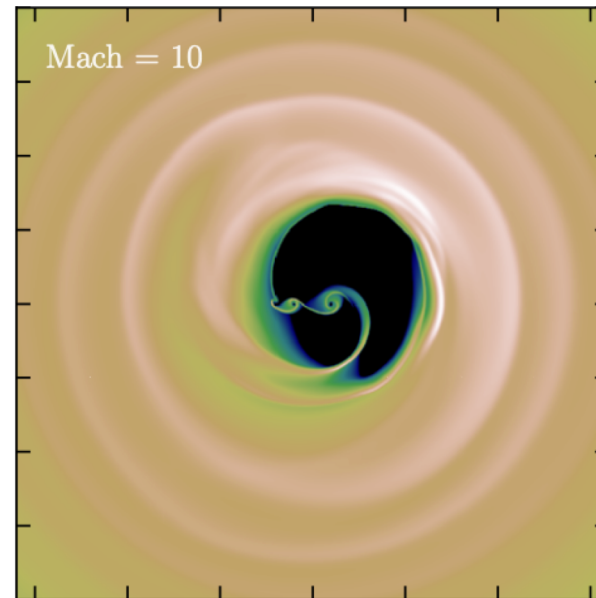
Noble+12, 3D GRMHD



Shi+12, 3D MHD

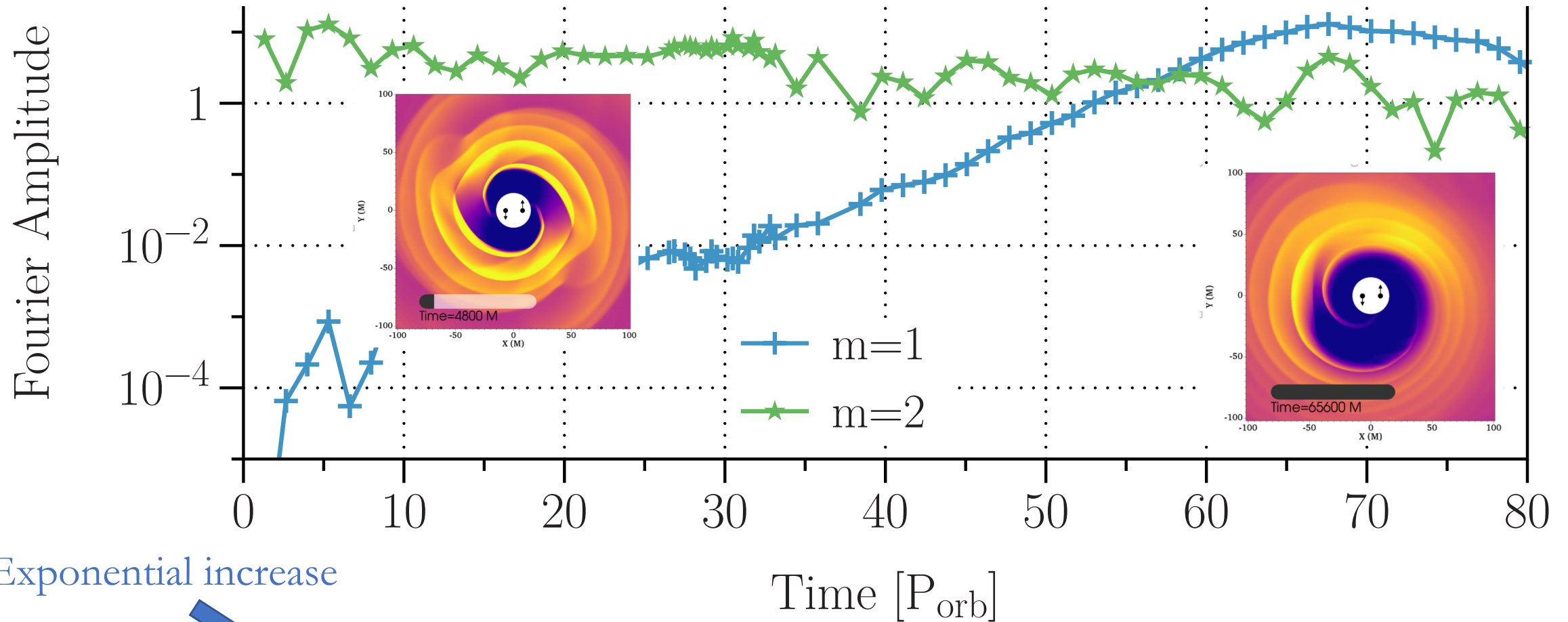


Ragusa+20, 3D SPH



Tiede+20, 2D Hydro

Lump: an instability origin ?



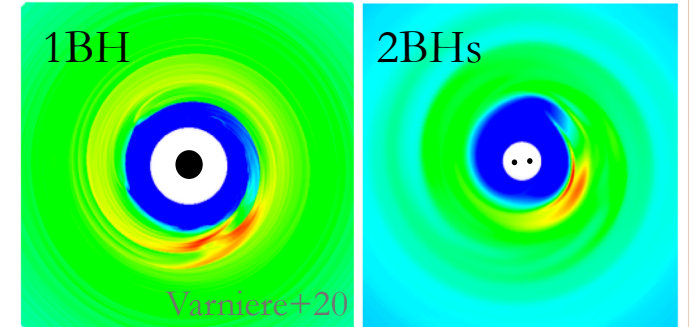
Exponential increase



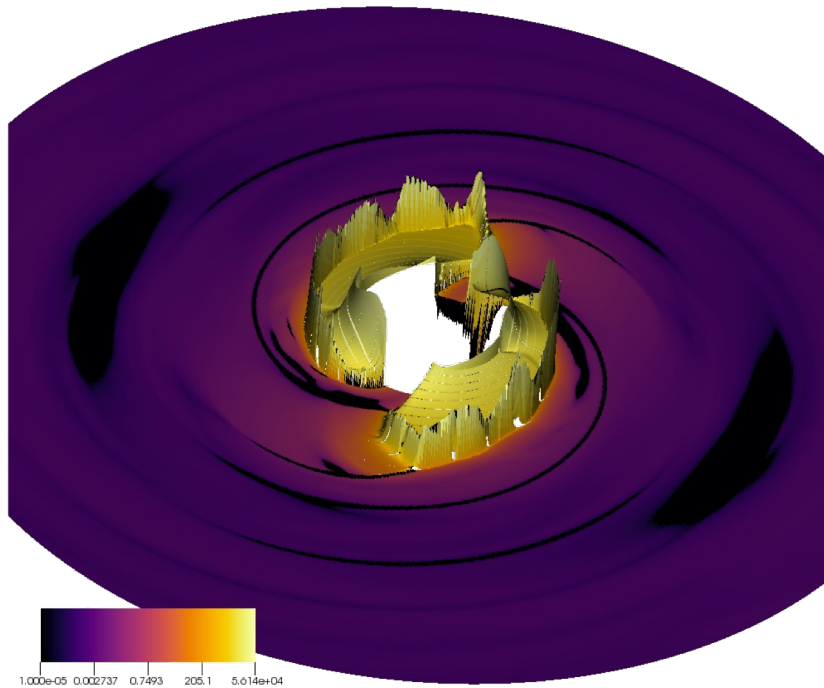
The Rossby Wave Instability as a possible origin for the « lump » (MR+23, MNRAS)

Lump: an instability origin ?

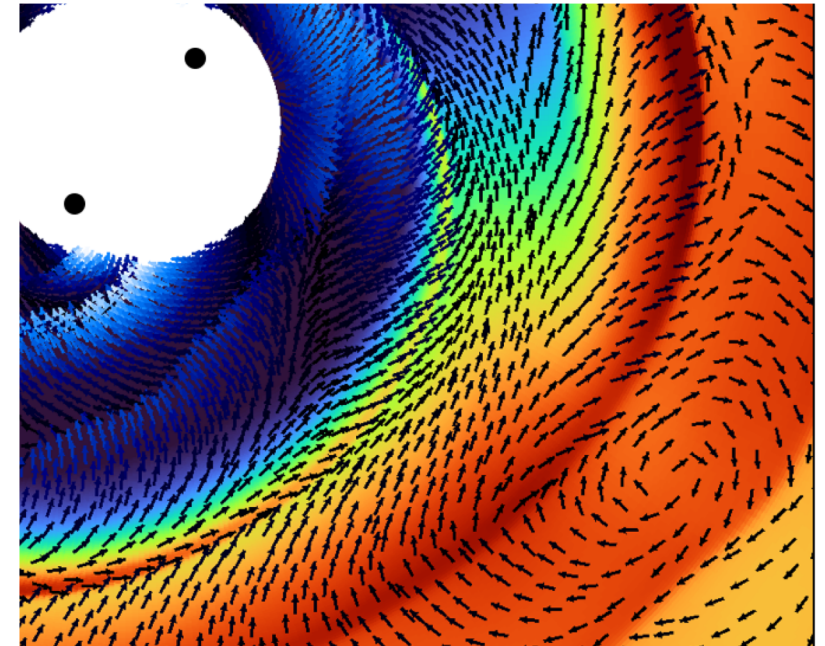
Similar to the Rossby Wave Instability (RWI) around single BH disks?



RWI criterion fulfilled: extremum in vortensity $\mathcal{L} = \frac{\nabla \times \mathbf{v}}{\Sigma}$



Presence of vortices



The Rossby Wave Instability as a possible origin for the « lump » (MR+23 MNRAS)